

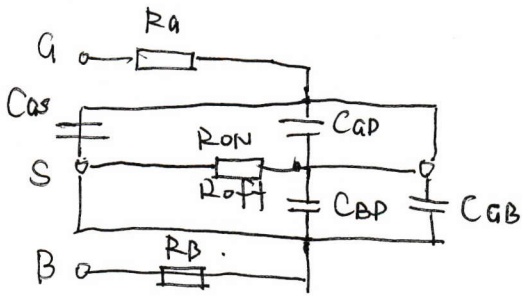
7. Analogschalter.

7.1 Schaltungstypen (SKRIPT)

7.2. MOSTETS im aktiven Bereich und im Sperrbereich

Active Bereich, 可变电阻区, (非饱和区)

不同模型有几十个. 较为精确的属于 SPICE 模型 (有诸多关于工艺制造上的参数)



Level 1  

$$\beta = \mu_0 C_{ox} \frac{W}{L}$$

Level 2.  

$$\mu_s = \mu_0 \left[ \frac{E_S}{2 \epsilon_{ox}} \cdot \frac{U_{CRIT} - T_{OX}}{(U_{GS} - U_{th})} \right] U_{EXP}$$
 (falls  $\mu_s < \mu_0$ )  

$$U_{EXP} = 0.1$$
  

$$U_{CRIT} = 8 \times 10^4 \frac{V}{cm}$$
  

$$T_{OX} = 100 nm$$
  

$$\mu_0 = 580 cm^2/vs$$

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Level 3. (经验公式) 
$$\mu_s = \frac{\mu_0}{1 + THETA(U_{GS} - U_{th})}$$
, THETA 为经验参数.

可变电阻区的直流电阻和交流电阻.

$$I_{DN} = \beta_N (U_{GSN} - U_{th,N} - \frac{U_{DSN}}{2}) U_{DSN}$$
, 
$$U_{DSN} = U_a - U_e$$

$$R_{ON} = \frac{U_{DSN}}{I_{DN}} = \frac{1}{\beta_N (U_{GSN} - U_{th,N} - \frac{U_a - U_e}{2})}$$
 这样, 我们为了工作在可变区, 使  $U_{DSN} = 0$ .  $U_a - U_s \geq U_{th}$   
 $U_a - U_0 \geq U_{th}$

可变电阻

那么, 
$$r_{ON} = \frac{\partial U_{DS}}{\partial I_D} \Big|_{U_{DS} = 0} = \frac{1}{\beta_N (U_{GS} - U_{th,N})} = R_{ON, N} \Big|_{U_{DS} = 0}$$

开关电路. 系统.



$$U_e = U_0$$
, 
$$U(0) = 0$$
 (充电) 
$$Z_{on} = C R_{ON}$$

$$U(t) = U_0 [1 - \exp(-\frac{t}{Z})]$$
, 
$$\epsilon = \frac{U_0 - U(T_s/2)}{U_0}$$

$$U(T_s/2) = 1 - \epsilon = 1 - \exp(-\frac{T_s}{2Z}) \Rightarrow \epsilon = \exp(-\frac{T_s}{2Z}) \Rightarrow R_{ON} = \frac{T_s}{2C \ln(1/\epsilon)}$$
, 例如  $f = 2 MHz$

充电:  $U(0) = U_0$ , 
$$\frac{U(t)}{U_0} = \exp(-\frac{t}{Z})$$
, 
$$\epsilon = \frac{U_0 - U(T_s/2)}{U_0} \Rightarrow R_{OFF} = \frac{T_s}{2C \epsilon}$$
, 例如  $100 nV$

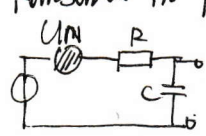
解释说明: 当为放电状态时, 如果开关用 MOS 管代替, 则会根据  $U_0$  的大小, 进入不同的工作状态.

若  $U_0 < U_{DD} - U_0 < U_{th}$ , 则为饱和区  $\rightarrow$  可变电阻区. 若  $U_{DD} - U_0 > U_{th}$ , 只有可变电阻区

可变电阻区则可以使用上两的导电电阻. 那么这个电路就是一个采样电路

NMOS 而当输入电压为  $U_{DD}$  时, 即为  $U_G$  时, 则不可能完美跟平

Rauschen in RC-Gliedern



$$S_{UIN} = 4kTR$$
  

$$S_{UAN} = |G|^2 S_{UIN}$$

输出噪声与 R 无关. 而减少噪声点能增大电容, 而  $f_{3dB} = \frac{1}{2\pi RC}$  增加电容则会减小带宽.

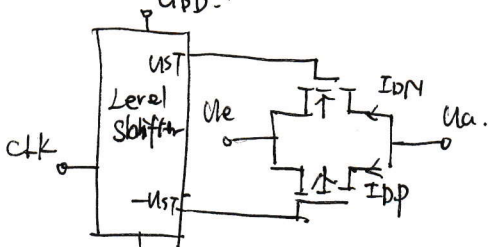
$$G = \frac{1}{1 + R \cdot sC}$$
  

$$\Rightarrow U_{an, eff}^2 = 4kTR \int_0^{\infty} \frac{1}{1 + RC \cdot \omega^2} d\omega$$
  

$$= 4kTR \int_0^{\infty} \frac{\sqrt{1 + RC^2}}{1 + RC\omega^2} d\omega = \frac{kT}{C}$$
  

$$= \int \frac{dx}{x^2 + 1} = \tan^{-1} x$$

7.3 Anwendungen



导向条件: NMOS, 可变电阻型

$U_{ST} - U_e > U_{th, N}$ ,  
 $U_{ST} - U_a < U_{th, N}$ .  
 PMOS, 可变电阻型  
 $-U_{ST} - U_e < U_{th, P}$   
 $-U_{ST} - U_a \geq U_{th, P}$

$G_{ON, N} = \frac{I_{DN}}{U_{DSN}} = \beta_N (U_{ST} - U_{th, N} - \frac{U_a - U_e}{2})$

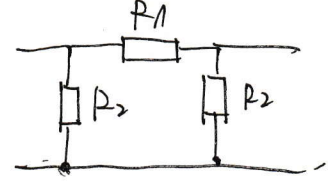
疑问  $\frac{U_a + U_e}{2} = U_{DS} ?$

$G_{ON, P} = \beta_P (U_{ST} + U_{th, P} + \frac{U_a - U_e}{2})$

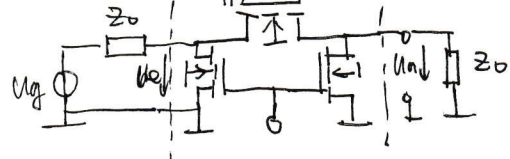
根据 SPICE 模型:  $R_{ON} = \frac{1}{G_{ON, N} + G_{ON, P}}$ , mit  $\beta = \beta_N = \beta_P$ .  $R_{ON} = \frac{1}{2\beta(U_{ST} - U_{th, N})} = t_{ON}$  ( $U_{DS} = 0$ )

7.4 衰减器

- ① 可以调整信号的大小
  - ② 可以改善阻抗匹配, 可以减少反射
- VL7 中采用的是无源型衰减器



MOSFETs im Dämpfungsgliedern.

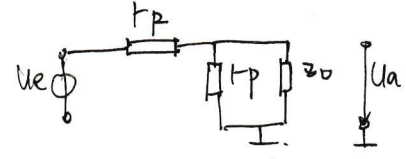


可以用近似模型计算

I) 计算特性阻抗

$z_0 = t_p // (t_p + t_p // z_0)$   
 $\Rightarrow t_p = 2z_0 \frac{t_p/z_0}{|t_p/z_0|^2 - 1}$

II) 计算衰减系数, V, 即为通用 N =  $\frac{U_a}{U_e}$



参考 Foto - Vorlesung 7

$V = \frac{t_p/z_0 - 1}{t_p/z_0 + 1} \Rightarrow \frac{t_p}{z_0} = \frac{1+V}{1-V}$

即  $R_2 = R_c \cdot \frac{N+1}{N-1}$

$R_1 = R_c \cdot \frac{N^2 - 1}{2N}$

AS-01.

工作在可变即 \$U\_{DS} = U\_{DSmax}, U\_{DS} = 0\$.

$$I_D = \beta_N (U_{GS} - U_{th,N} - \frac{U_{DS}}{2}) U_{DS}$$

$$R_{ON} = \frac{1/I_D}{\beta_N (U_{GS} - U_{th,N} - \frac{U_{DS}}{2})}$$

$$R_{ON, min} = R_{ON} |_{U_{DS}=0} = \frac{1}{\beta_N (U_{GS} - U_{th,N})}$$

$$U_{GS} = U_{GSmax}$$

$$\Rightarrow \beta = \frac{1}{10(3-0.4)} = 0.04$$

$$\Rightarrow W/L = \beta/k_p = 4 \times 10^{-2} / 2 \times 10^{-4} = 2 \times 10^2 = 200$$

$$R_{ON, max} = \frac{1}{\beta_N (U_{GS, min} - U_{th,N})} = \frac{1}{0.2 \times 0.04} = 125 \Omega$$

$$U_{a, max} = U_e \cdot \frac{R_{ON, max}}{R_{ON, max} + R}$$

$$U_{a, min} = U_e \cdot \frac{R_{ON, min}}{R_{ON, min} + R}$$

$$\Rightarrow \alpha = \frac{1 + \frac{R}{R_{ON, min}}}{1 + \frac{R}{R_{ON, max}}} = \frac{101}{9} \Rightarrow 20 \text{ dB} = 20 \lg \alpha = 21 \text{ dB}$$

AS-02.

$$U_{GS1} = U_{GS1} - U_e = 1.5 \text{ V} > 0.6 \text{ V}, \text{ 导通}$$

$$U_{GS2} = 0, U_{GS2} = 0, U_{GS2} = 0$$

$$U_{DS1} = U_{DS1} - U_e = U_{GS1} - U_e = -U_e$$

工作在 \$T\_1\$ 处于

\$T\_1\$ 处于 Active Bereich, \$T\_2\$ Sperrbereich

\$T\_1\$ 处于

$$U_{GS} - U_a = U_{th} \Rightarrow U_a = 2.5 - 0.6 = 1.9 \text{ V}$$

\$T\_1\$ 处于 Active Bereich, \$T\_2\$ Sperr.

1) 已知

$$2) R_{ON} = \frac{1}{\beta_N (U_{GS} - U_{th,N} - \frac{U_{DS}}{2})}, \beta = k_p \cdot \frac{W}{L} = 110 \times 10^{-6} \times 1.2 \times 10^{-6} \times \frac{1}{0.24} \times 10^6 = 8 \times 10^{-4} \text{ A/V}^2$$

am Anfang

$$R_{ON}(U_{DS}=0) = \frac{1}{\beta (U_{GS} - U_{th,N} - \frac{U_{DS}}{2})} = \frac{1}{8 \times 10^{-4} \cdot (1.5 - 0.6 + \frac{1}{2})} = 375 \Omega$$

am End

$$R_{ON}(1) = \frac{1}{\beta (U_{GS} - U_{th,N})} = 138 \Omega$$

$$R_{ets} = \frac{R_{ON}(1) + R_{ON}(0)}{2} = 1.14 \text{ k}\Omega$$

$$\begin{matrix} f_f = 10^{-15} \text{ F} \\ p_f = 10^{-12} \text{ F} \end{matrix}$$

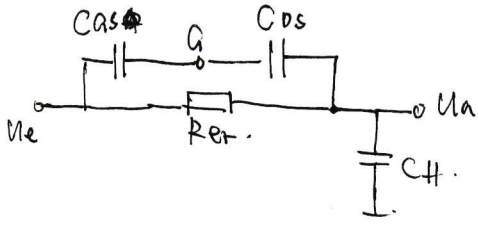
$$3) U(t) = U_e \cdot [1 - \exp(-\frac{t}{R \cdot C})], R \cdot C = R_{ets} \cdot C_H$$

$$\epsilon = \frac{U_0 - U(t_s/2)}{U_0} \Rightarrow U(t_s/2) = U_0(1 - \epsilon) \Rightarrow U_a = U(t_s/2) = U_0 [1 - \exp(-\frac{t_s}{2})] = U_0(1 - \epsilon)$$

$$\Rightarrow \epsilon = \exp(-\frac{t_s}{2}) \Rightarrow t_s = -2 \ln \epsilon \Rightarrow -2 \cdot R_{ets} \cdot C_H \cdot \ln \epsilon = 7.98 \text{ ns} \Rightarrow t_a = 3.94 \text{ ns}$$

4) 已知

$$C_{GS} = C_{DS} \cdot A = \epsilon''_{ox} \cdot W \cdot L/2 + C'_{ox} \cdot W = 1.14 \text{ pF} \quad C_{GS, N_s} = C_{GD, N} = 0.24 \text{ pF}$$



- ① 这里忽略了 \$R\_{er}\$, 因为太难算了. 而且中流也不大. 忽略简单.
- ② 因为 \$m\_1\$ 和是考虑接地的非平衡状态.
- ③ 计算偏置和可以使用电荷守恒定理计算.

am Anfang.

$U_{as}(0) = 1.5V$   
 $U_{os}(0) = 1.5V$   
 $U_a(0) = 1V$

Teil 1. im Aktivbereich, bis  $U_a = U_{th} + U_e = 1.6V$ .

$$\Delta U_{af} = \frac{1}{j\omega C_H} / \left[ \frac{1}{j\omega C_H} + \frac{1}{j\omega C_{as} N_{1,A}} \right] \cdot [U_{as}(0) - U_{as}(A-s)]$$

$$= -2.052 mV$$

Teil 2. im Sperrbereich.

$$\Delta U_{a2} = \frac{C_{as} N_{1,s}}{C_H} [U_{an1,m} - U_{an1(at)}]$$

$$= -0.768 mV$$

$$\Delta U_a = \Delta U_{a1} + \Delta U_{a2} = -2.82 mV$$

等效为 \$C\_{ad1}\$

由于 \$T\_2\$ 管两个电容都考虑, 所以可以等效 \$C\_{as}\$ 和 \$C\_{ap}\$ 并联.  $\Rightarrow C_{ad1} = 2 \cdot 0.3 pF \Rightarrow W_{N1,2} = \frac{W_{N1,A}}{2} = 0.6 mV$

AS-03

- 1) für \$T\_N\$.  $U_{an} - U_e \geq U_{th,N} \Rightarrow U_e \leq U_{an} - U_{th,N} = 2V$   
für \$T\_p\$.  $U_e \geq U_{pN} - U_{th,p} = 0.5V$   
 $0.5 \leq U_e \leq 2V$

$$2) \tau_{on,N} | U_{ps} = \frac{1}{\beta (U_{as} - U_{th})}$$

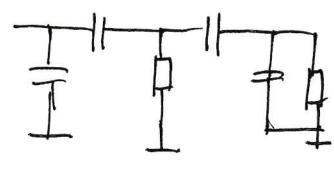
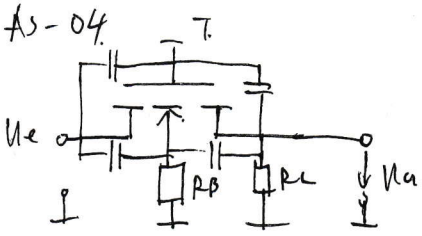
$$\tau_{on,N} | U_{ps}=0 = \frac{1}{\beta_N (U_{as,N} - U_{th,N})}, \tau_{on,p} | U_{ps}=0 = \frac{-1}{\beta_P (U_{as,p} - U_{th,p})}$$

$$\tau_{on} = \frac{\tau_{on,p} \cdot \tau_{on,N}}{\tau_{on,p} + \tau_{on,N}} = 270 ns$$

3.  $\beta_{N,p} = \beta_K \cdot p$ , aus (2). können  $\beta$  bechnen.

$$\tau_{on,N} = \tau_{on,p} = \left| \frac{1}{\beta (U_{as} - U_{th} - U_{ps})} \right|$$

AS-04



夜成器.