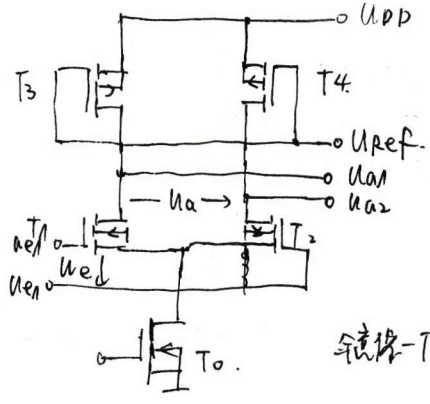
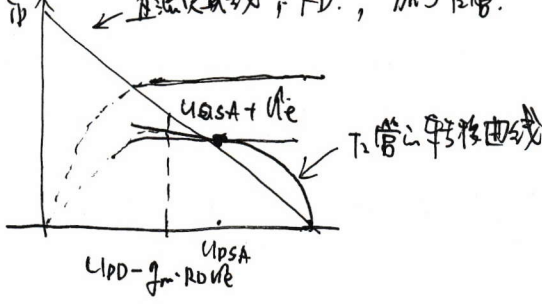
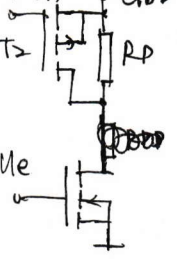


11. Einstellungsschaltungen

11.1. Einstellung der Gleichstromspannung



Ideal System Schaltung

$U_{DD} = 3V, I_0 = 200\mu A, |U_{th}| = 0.5V, \lambda = 0.03 \mu A^{-1}$
 $U_{GS} = U_{GS} = U_{GS}, U_e = 0 \Rightarrow U_{a1} = 0$
 $U_{AS1} = 0.7V, U_{AS0} = 0.7V, U_{ref} = 2.3V,$

$\beta_{1, \dots, 4} = \pm \frac{mA}{V^2} \quad \beta_0 = 2\beta_{1, \dots, 4} = 10 \frac{mA}{V^2}$
 $I_0 = 2 \cdot \frac{\beta}{2} \cdot (U_{GS} - U_{th})^2 \Rightarrow U_{GS}$
 $t_{ps} = \frac{\lambda + U_{DS1}}{I_0} \approx \frac{1}{\lambda I_0} \approx \frac{1}{333.3}$

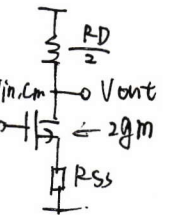
$U_e = U_{AS1,2} + U_{GS1},$ 若 $U_e = 1.1V,$ 则 $U_{GS1} = 0.4V,$

$U_{GS1} = \frac{U_{DD} + U_e - U_{AS1}}{1} = 1.7V \Rightarrow \frac{U_{GS1}}{U_e} = 1$
 $V_{GL,1} = \frac{U_{GS1}}{U_e} = -1, \quad V_{GL,2} = \frac{U_{GS1}}{U_{ref}} = -g_{m1, \dots, 4} \cdot t_{ds1, \dots, 4} = \sqrt{2\beta/I_0} \cdot \frac{1}{\lambda} = \frac{2 \times 5 \times 10^{-3}}{1 \times 10^{-4}} \cdot \frac{1}{0.03} = -333.3$
 $V_{GL,3} = \frac{U_{GS1}}{U_{AS1}} = g_{m0} \cdot t_{ds0} = -333.3$

为了研究共模放大特性, 我们首先从基本电路开始入手

① 基本放大电路, 差分, 考虑电流源内阻

等效电路



$A_{v,cm} = \frac{V_{out}}{V_{in,cm}} = \frac{-I_D \cdot \frac{RD}{2}}{I_D / (2g_m) + I_D \cdot R_{SS}} = \frac{-\frac{RD}{2}}{\frac{1}{2g_m} + R_{SS}}$, 假设 $\lambda, \mu = 0$

应当注意, 晶体管工作在线性区, 所以共模电压若有偏差, 则可能进入非线性区

② 若 RD 不对称: 若 $R1 = RD, R2 = RD + \Delta RD$

当输入变化 $\Delta V_{in,cm}, \Delta V_{in,cm} \cdot g_m - 2 \cdot \frac{\Delta I_D}{2g_m} \cdot R_{SS} \cdot g_m = \Delta I_D$

$\Delta I_D = \Delta V_{in,cm} \cdot (g_m / 1 + 2g_m R_{SS}) \Rightarrow \Delta V_x = -\Delta V_{in,cm} \cdot \frac{g_m}{1 + 2g_m R_{SS}} \cdot RD$, 会造成差模信号失真

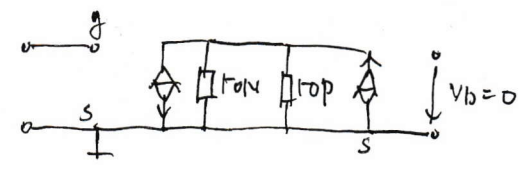
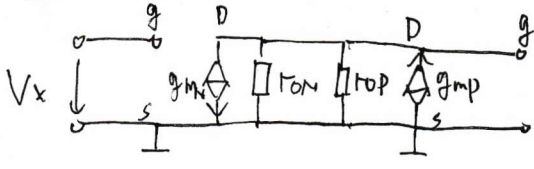
③ MOS为负载的差分对, 称为Vohesny电路, 先考虑理想电流源, 也可用中流源作为负载

$A_{v,mos} = -g_{mN} (g_{mP}^{-1} // t_{on} // t_{op})$

$A_{v,strom} = -g_{mN} (t_{on} // t_{op})$

$\approx -\frac{g_{mN}}{g_{mP}} \approx -\frac{\mu_n (W/L)_N}{\mu_p (W/L)_P}$

对于 $V_{GL,1} = -1$ (Vohesny电路证明) 还有待考证



吉尔伯特单元.

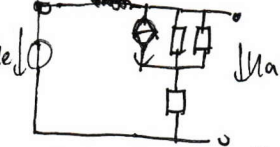
① 电路的输入信号增益是尾电流的函数 ($g_m = \sqrt{2\beta I_{0A}}$)

② 差动对的两个输入管为控制尾电流在两个支路的流动中提供了简便的方法.

⇒ 可用控制 I_S 控制增益, $A_v = v_{out}/v_{in}$ 的变化范围可从 0 ($I_0=0$) ⇒ 求差冲决度已取大值

⇒ 可用 $v_{out1} = v_1 - v_2$ 和 $v_{out2} = v_2 - v_1$ 得到增益为正和负的信号, 之后再相加即可.

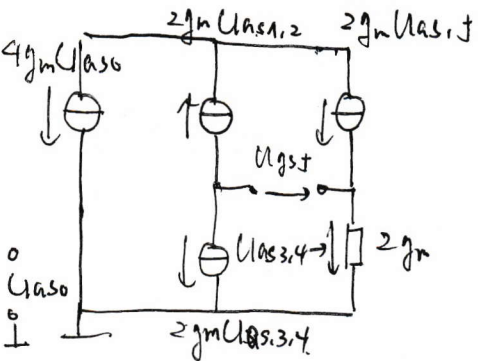
对于 $V_{gl,1} = \frac{U_{a,gl}}{U_{ref,gl}} = -1$. 可用等效电路简单验证. (面积为 -1. $[\frac{R(\frac{1}{\lambda} + \frac{1}{\lambda}) - 1}{\lambda + 1}$, 不反对]



对于 $V_{gl,2} = \frac{U_{a,gl}}{U_{ref,gl}} = -g_m \cdot t_{DS1} + t_{DS1} // t_{DS0} = -g_m \cdot t_{DS1} \cdot 4 \Rightarrow \frac{1}{\lambda} = -33$. $t_{DS} = \frac{1}{\lambda I_{0A}}$.

对于 $V_{gl,3} = \frac{U_{a,gl}}{U_{as0}} = -g_{m0} \cdot t_{DS0} = -1$, 再分析输入, $\rightarrow g_{m0} \cdot t_{DS0}$, $\frac{U_{a,gl}}{U_{as0}}$ 已经计算过 3.

Vorsorgungsspannungsteferance.



等效电路, 关键是在于 U_{gs} , $\frac{U_{gs}}{U_{ref}}$ 的误差 (从图中看) 可直接用方程根据电流回路 (等效电路分析) 而不必看等效.

$$4g_m U_{as0} - 2g_m U_{as1,2} + 2g_m U_{as3} = 0$$

$$2g_m U_{as1,2} + 2g_m U_{as3,4} = 0$$

$$U_{a,gl} = U_{as3,4} + U_{as3} \Rightarrow V_{gl,3} = \frac{U_{a,gl}}{U_{as0}} = -2$$

由 Skript, 图 2 等效

Gleichtaktunterdrückung beim Transkonduktanzverstärker.

$$U_e^+ = U_{gl} + \frac{U_{diff}}{2} \Rightarrow i_{a1} = g_{T,gl} \cdot U_{gl} + g_T \frac{U_{diff}}{2}$$

$$U_e^- = U_{gl} - \frac{U_{diff}}{2} \Rightarrow i_{a0} = g_{T,gl} \cdot U_{gl} - g_T \frac{U_{diff}}{2}$$

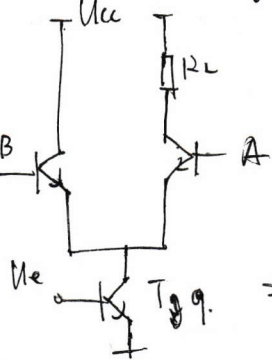
$$i_m = i_{a1} + i_{a2} = g_T U_{gl}$$

$$i_a = i_{a1} - i_{a0} = g_T U_{diff}$$

$$i_{a+} = -i_{a2} + i_m = g_T \frac{U_{diff}}{2}$$

$$i_{a-} = -i_{a1} + i_m = -g_T \frac{U_{diff}}{2}$$

11.2. Einstellung der Verstärker.



$$I_{cA6} = x I_0$$

$$I_{cA7} = (1-x) I_0$$

$$I_{cA7} + I_{cA6} = I_0$$

$$I_{cA7} + I_{cA6} = I_{cA9}$$

⇒ 回路

T_6, T_7, T_7, T_8

$$U_{BE6} - U_{BE7} + U_{BE7} - U_{BE8} = 0$$

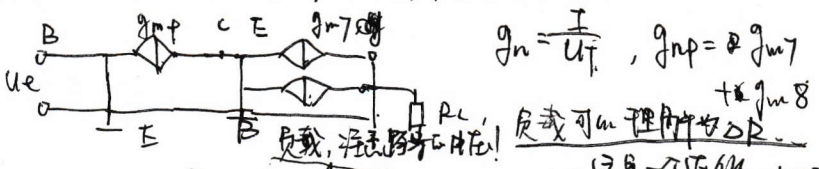
$$I_6 - I_7 = (2x-1) I_0 \sim U_{BE6} - U_{BE7}$$

$$\Rightarrow 2x \sim I_P \sim U_{BE8} - U_{BE9}$$

$$\Rightarrow I_6 = (1-x) I_P, I_7 = x I_P$$

Skript 图.

输出端. T_6, T_7, T_8 为双射共基放大电路.



$$g_m = \frac{I}{U_T}, g_{m7} = 2g_{m7} + g_{m8}$$

$$V_{out} = -g_{m9} \cdot \frac{1}{g_{m7} + g_{m8}} \cdot g_{m8} \cdot R_L \leftarrow \text{这是一个近似. } U_{BE} \text{ 图 9.3}$$

$$= -g_{m8} \cdot R_L \Rightarrow V_{out} = -R_L \cdot \frac{x I_{cA9}}{U_T}$$

Variation: 第一个变物电路可以参考模

$$\text{来求 } i_B. i_1 = \frac{1}{1 + e^{-\frac{U_{diff}}{U_T}}}, i_2 = \frac{1}{1 + e^{\frac{U_{diff}}{U_T}}}$$

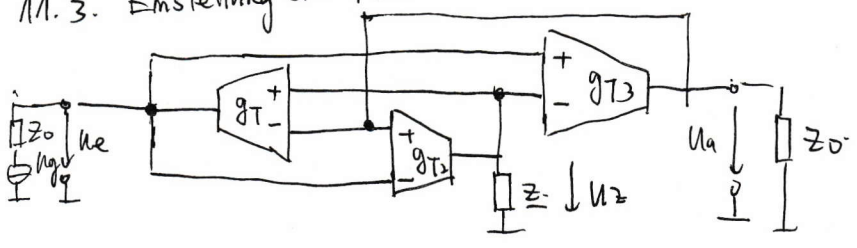
$$\rightarrow 6 - 7 + 7 - 8 = 0$$

$$\ln \frac{I_6}{I_7} = \frac{I_7}{I_6} \cdot \frac{I_7}{I_6} \cdot \frac{I_7}{I_6} \rightarrow 0$$

$$\Rightarrow \frac{I_6}{I_7} \cdot \frac{I_7}{I_8} = 1 \Rightarrow \frac{I_6}{I_7} = \frac{I_7}{I_8}$$

之后根据电路计算

11.3. Einstellung der Phase



$$\rightarrow g_{T1} \cdot \frac{U_g - U_e}{z_0} = g_{T1} \cdot (U_z - U_a) \Rightarrow U_g - U_e = g_{T1} \cdot z_0 \cdot U_z - g_{T1} z_0 U_a \quad (1)$$

$$\rightarrow g_{T2} \cdot -\frac{U_z}{z} = g_{T2} \cdot (U_a - U_e) \Rightarrow -U_z = g_{T2} z U_a - g_{T2} z U_e \quad (2)$$

$$\Rightarrow -U_a = \frac{U_z}{g_{T2} z} - U_e$$

$$\rightarrow g_{T3} \cdot -\frac{U_a}{z_0} = g_{T3} \cdot (U_e - U_z) \Rightarrow -U_a = g_{T3} z_0 U_e - g_{T3} z_0 U_z \quad (3)$$

从(2)(3)式去(1)式中消去 U_z (U_a), U_e (U_a)

U_e :

$$-g_{T3} z_0 U_a = \frac{g_{T3} z_0}{g_{T2} z} U_z - g_{T3} z_0 U_e \quad (4)$$

$$-\frac{U_a}{g_{T2} z} = \frac{g_{T3} z_0}{g_{T2} z} U_e - \frac{g_{T3} z_0}{g_{T2} z} U_z \quad (5)$$

$$-U_a \cdot (g_{T3} z_0 + \frac{1}{g_{T2} z}) = (\frac{g_{T3} z_0}{g_{T2} z} - g_{T3} z_0) U_e$$

$$U_e = -\frac{g_{T3} z_0 + \frac{1}{g_{T2} z}}{g_{T3} z_0 - g_{T3} z_0 \cdot g_{T2} z} U_a$$

由(3)

$$U_z = -\left[g_{T2} z U_a + \frac{g_{T2} z \cdot (g_{T3} z_0 + \frac{1}{g_{T2} z})}{g_{T3} z_0 - g_{T3} z_0 \cdot g_{T2} z} \right] U_a$$

$$= -\left[\frac{g_{T2} z g_{T3} z_0 - (g_{T2} z)^2 g_{T3} z_0 + (g_{T2} z)^2 g_{T3} z_0 + g_{T2} z}{g_{T3} z_0 - g_{T3} z_0 \cdot g_{T2} z} \right] U_a = -\frac{g_{T2} z_0 g_{T3} z_0 + g_{T2} z}{g_{T3} z_0 - g_{T3} z_0 \cdot g_{T2} z} U_a$$

代入(1)式

$$U_g = -\frac{[g_{T3} z_0 \cdot g_{T2} z + 1]}{g_{T3} z_0 - g_{T3} z_0 g_{T2} z} + \frac{[g_{T1} z_0 g_{T3} z_0 g_{T2} z + g_{T1} z_0 \cdot g_{T2} z]}{g_{T3} z_0 - g_{T3} z_0 g_{T2} z} - g_{T1} z_0 U_a$$

$$= -\frac{g_{T3} z_0 \cdot g_{T2} z + 1 + g_{T1} z_0 g_{T3} z_0 g_{T2} z + g_{T1} z_0 \cdot g_{T2} z + g_{T1} z_0 g_{T3} z_0 - g_{T3} z_0 g_{T2} z g_{T1} z_0}{g_{T3} z_0 - g_{T3} z_0 g_{T2} z} \cdot U_a$$

$$= -\frac{1 + g_{T3} z_0 g_{T2} z + g_{T1} z_0 g_{T2} z + g_{T1} z_0 g_{T3} z_0}{g_{T3} z_0 - g_{T3} z_0 g_{T2} z} U_a$$

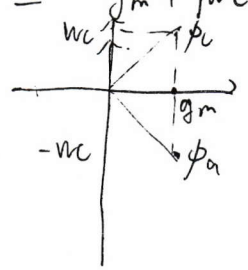
$$\frac{U_a}{U_g} = -\frac{g_{T3} z_0 (1 - g_{T2} z)}{1 + g_{T3} z_0 g_{T2} z + g_{T1} z_0 g_{T2} z + g_{T1} z_0 g_{T3} z_0} \Rightarrow g_{T3} z_0 \frac{g_{T2} z - 1}{g_{T2} z (g_{T1} z_0 + g_{T3} z_0) + 1 + g_{T1} g_{T3} z_0^2}$$

化简. $g_{T1} = g_{T3} = \frac{1}{z_0}$ (相位补偿), $U_e = \frac{U_g}{z} \Rightarrow \frac{g_{T2} z - 1}{g_{T2} z + 1} \cdot \frac{1}{z} = \frac{U_g}{U_e} \Rightarrow \frac{U_a}{U_e}$. 设 $g_{T2} = g_m$.

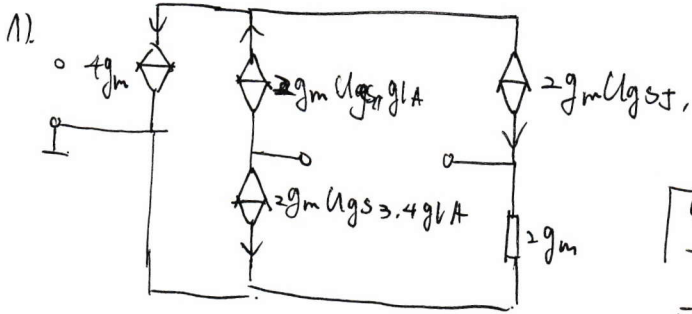
$$\frac{U_a}{U_e} = \frac{g_m z - 1}{g_m z + 1}, \text{ 其中 } z = \frac{1}{j\omega C}$$

$$\frac{U_a}{U_e} = \frac{g_m - j\omega C}{g_m + j\omega C} \quad \phi = \arctan \frac{-g_m}{\omega C} - \arctan \frac{g_m}{\omega C} = -2 \arctan \frac{g_m}{\omega C} = 2 \arctan \frac{g_m}{\omega C} - \pi$$

$$\omega = g_m \rightarrow X_{\phi} (\text{or } 1) \cdot g_{m, \max}$$



ES-03.



$$\begin{cases} 4g_m U_{as0} - 2g_m U_{as1,2} + 2g_m U_{as,T} = 0 \\ 2g_m U_{as1,2} + 2g_m U_{as3,4} = 0 \\ U_{a'gl} = U_{DD} + U_{as3,4} + U_{as,T} \end{cases}$$

$$U_{as0,A} = \frac{I_D}{-U_{th}} = \frac{I_D}{2} = \sqrt{\frac{I_D}{2\beta}} + U_{th}$$

$$= \sqrt{\frac{2I_D}{\beta}} \Rightarrow U_{as0} = \sqrt{\frac{2I_D}{\beta}} + U_{th} = 0.624 \text{ mV} = 624 \text{ mV}$$

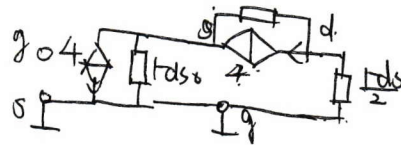
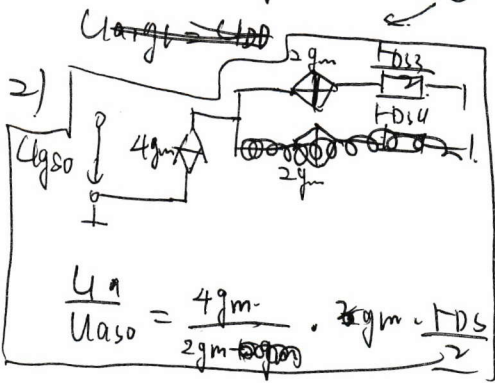
$$I_{D3} = I_{D4} = I_{D2} = I_{D1} = \frac{I_{D,T}}{2} = \frac{I_D}{4} \Rightarrow U_{as1,A} = U_{as2,A} = 624 \text{ mV}$$

$$U_{as3} = U_{as4,A} = U_{as,T} = -624 \text{ mV}$$

$$U_{a'gl} = U_{DD} + U_{as3,4} + U_{as,T} = 3 - 2 \times 0.624 = 1.752 \text{ V}$$

$$U_{e,gl,A} - U_{a'gl} \leq U_{th} \Rightarrow U_{e,gl,A} = U_{th} + U_{a'gl} = 2.45 \text{ V}$$

$$U_{e,gl,A} \geq U_{th} + U_s \Rightarrow U_{th} + U_{DD} = 847 \text{ mV} + 0.4 \text{ mV} = 1.247 \text{ mV}$$



$$\frac{U_a}{U_{as0}} = \frac{4g_m}{2g_m} \cdot 2g_m \cdot \frac{I_{DS}}{4g_m} = \frac{4g_m}{4g_m} \cdot 4g_m \times \frac{I_{DS}}{2} = -2g_m \cdot I_{DS}$$

$$= -\frac{g_m}{4} \cdot 2 \cdot I_{DS}$$

$$= -\frac{g_m}{2} I_{DS} = \sqrt{\frac{2I_D}{\beta}} \cdot \frac{1}{2I_D/2}$$

$$= \sqrt{2\beta I_D A} \cdot \frac{1}{2} \cdot \frac{1}{I_D}$$

$$= 596.2$$

3) $U_{a'gl} = U_{as3,4} + U_{as,T} = -2U_{as0}$

$$\Rightarrow \frac{U_a}{U_e} = -2$$